

---

# The GEM unification theory of the vacuum: Did dimensional collapse trigger the big bang

**John E. Brandenburg**

Morningstar Applied Physics, Vienna, Virginia, USA

**Email address:**

[jebandenburg@madisoncollege.edu](mailto:jebandenburg@madisoncollege.edu)

**To cite this article:**

John E. Brandenburg. The GEM Unification Theory of the Vacuum: Did Dimensional Collapse Trigger the Big Bang. *International Journal of Astrophysics and Space Science*. Special Issue: Quantum Vacuum, Fundamental Arena of the Universe: Models, Applications and Perspectives. Vol. 2, No. 6-1, 2014, pp. 24-38. doi: 10.11648/j.ijass.s.2014020601.14

---

**Abstract:** The GEM (Gravity EM) unification theory builds on the Sakharov and Kaluza-Klein approaches to unify all four force fields of nature: Gravity, EM, Strong, and Weak using Feynman Path integral formalism. The model is rudimentary, and can be called a “Bohr Model” of unification. It is basically found that Gravity and the other forces can be understood as quantum electrodynamics. In particular the proton emerges as a fundamental particle despite being composed of quarks and is the principle interaction vertex of the Higgs boson, which is seen here as direct consequence of a hidden 5th dimension, where the Higgs mass is due to 5th dimensional compactification. Collapse and compactification of a 5th dimension is argued as the triggering event for the Big Bang. A particle mass formula based on Feynman Path Integrals including paths across the hidden 5th dimension gives the proton and electron masses to high accuracy and finds the charged bosons responsible for the short range nuclear forces. The masses calculated for the particles are as follows: the charged pion  $m_{\pi} = 2 m_e / \alpha \cong 140.0$  MeV and W boson:  $m_W = 2\sigma m_p = 80.4$  GeV. The  $\eta_c$  meson  $m_{\eta} = 2985$  GeV is identified with the 5th dimension compactification force mediated by the Radion field. The Higgs boson associated with this mass inducing field is the most general EM+Radion scattering quanta off the hidden dimension size with a mass  $m_p / \alpha \cong 127.7$  GeV. This results in a structural resonance  $\lambda_{\text{Higgs}} = r_p$  where  $\lambda_{\text{Higgs}}$  is the Compton radius of the Higgs boson and  $\lambda_{\text{Higgs}} = \hbar c / m_{\text{Higgs}} c^2$  the  $r_p$  electro-dynamic length of the proton  $r_p = e^2 / m_p c^2$ . Vacuum decay results from this value of the Higgs boson mass, which is a key parameter in a mass system that creates the proton-electron mass system and thus hydrogen in the Big Bang. The vacuum is found to decay into proton-electron pairs and to give an “eternally inflating” cosmos of Hubble Time  $T_H \cong (9/\alpha)^{1/3} \pi/2 e^2 / (4\pi\epsilon_0 G m_{\text{emp}}) re/c = 1.2 \times 10^{10}$  years. The predicted value of the CBR (Cosmic Background Radiation) temperature from this vacuum decay is  $T_{\text{CBR}} \cong (4cGm_e^2 / (3\sigma T_h^2 \sigma_{\text{Stefan-Boltz.}}))^{1/3} = 2.65\text{K}$ . Support for this consists of observation of the failure of the Sunyaev-Zeldovich effect, where distant galaxies are not observed to cast shadows in the CBR indicating a source for the CBR in the vacuum itself in the line of sight to more distant galaxies.

**Keywords:** GEM Unification Theory, Mie Scattering, Structural Resonance, Kaluza-Klein Theory, Radion Vacuum Decay, Sunyaev-Zeldovich Effect

---

## 1. Introduction

“everything is geometry,”

John Archibald Wheeler

The vacuum, in modern quantum mechanical understanding, is not empty. It is instead alive with virtual particles, including electromagnetic waves organized as photons. This vacuum activity, here called the ZPF (Zero Point Fluctuation) was first identified by Einstein. The best calculations of its energy density yield vast numbers: “the most embarrassing number in physics” of  $10^{96} \text{J/m}^3$ ,

indicating that matter, with an average density in the cosmos of  $1 \text{ GeV/m}^3$  (one hydrogen atom per cubic meter) is merely a perturbation on the vacuum. Thus, if we can formulate a physical theory of the vacuum, matter, in the form of subatomic particles might be recovered as a perturbation around the vacuum state. It is the goal of this article to formulate and present such a theory.

We begin with consideration of the Dirac Large Numbers Hypothesis, where he observed

$$\frac{4\pi\epsilon_0 G m_p m_e}{e^2} \cong \frac{r_c}{R_H} \tag{1}$$

Where G is the Newton Gravitation Constant, mp and me are the proton and electron mass respectively, εo is the electric permittivity of space and rc is the classical electron radius rc = e2/(4πεo) and RH is the Hubble radius, which is the Hubble Time TH times the speed of light : RH = cTH

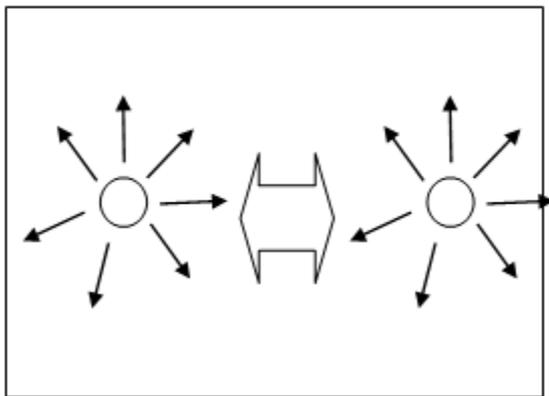
$$\Omega = \frac{8\pi G m_p n R_H^2}{3c^2} \cong 1 \tag{2}$$

Where n is the number density of hydrogen in space. We also correlate this with critical optical thickness of the

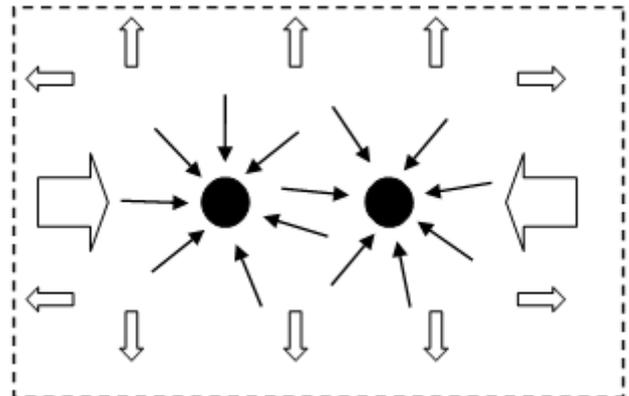
cosmos

$$\sigma_{Th} n R_H = \frac{8\pi n r_c^2 R_H}{3} \cong 1 \tag{3}$$

Where σTh = 8πrc2/3 is the Thompson scattering cross-section for EM radiation. Equating equation 2 Equation 3 and assuming the hydrogen in space is fully ionized we obtain Eq. 1. Therefore, the Dirac condition is consistent with the critical density of matter in the universe for gravitational interactions, being correlated with the EM critical scattering thickness of the Cosmos. Accordingly, the Dirac relation is consistent with a cosmos where gravity interactions are a form EM interaction and the visible universe is both critically interacting gravitationally and electromagnetically.



Two bright objects in dark box repel each other



Two dark objects in a bright box attract each other

Figure 1. The Sakharov model of gravity.

This physical concept of gravity as a statistical electromagnetic interaction related to “radiation pressure” from the quantum ZPF (Zero Point Fluctuation) was proposed by Sakharov (1967) and can be understood from Figure 1, where in the case of two bright objects in a box with dark walls, the two objects repel each other due to mutual radiation pressure with a 1/r2 force dependence, in the second case two dark objects are placed in a box with bright walls and attract each other due to mutual shadowing with a 1/r2 force dependence. Sakharov went further, using the Hilbert Action Principle

$$W = \int \frac{R}{16\pi G} dx^4 \tag{4a}$$

where R/16πG is an energy density to be minimized, and which yields the vacuum equations of Einstein’s General Relativity. Sakharov treated the action, R/16πG, having units of energy density, as a physical energy density due to the distortion of the ZPF by curved spacetime and used this to derive a formula for the Newton Gravitation Constant with the Planck scale forming the short wavelength limit of integration. This yielded :

$$G = \frac{r_p^2 c^3}{\hbar} \tag{4b}$$

Where rP = (ħG/c3)1/2 is the Planck mass from the ZPF, which demonstrates that self-consistency of the concept. Gravity can thus be considered as a consequence of the curvature of spacetime, with the fabric of spacetime being considered electromagnetic. However, in order to introduce electromagnetism explicitly one must introduce a hidden Kaluza-Klein dimension. This changes the Hilbert Action Principle, and for the case of a vacuum it becomes

$$W = \int \frac{R}{16\pi G} + \frac{F_{\alpha\beta} F^{\alpha\beta}}{4} dx^5 \tag{4c}$$

Where Fαβ is the Faraday EM tensor.

$$\frac{G}{c^4} = \frac{1}{r_p^2 U_o} \tag{4c}$$

Where Uo is the Plack energy density U0= ħc/rP4.

Therefore, the vacuum can be considered to contain a reservoir of energy, that can be made available to create

particles. We now turn to the question of “what triggered the Big Bang” that became the expansion of the universe. This can be interpreted as the sudden appearance of charged massive particles from the vacuum, along with entropy. The concept that such a hidden dimension can lead to the appearance of other particles and forces and proposed in the GEM (Grandis et Medianis) “the unity of the great and middle” theory<sup>1- 5</sup>. The GEM theory unites the “middle” or subatomic scale of particles with “great” scales of both the Cosmos and Planck Scale. The GEM theory is combination of two concepts- the hidden 5th dimension concept of the Kaluza-Klein<sup>6</sup> theory unifying gravity and electromagnetism, and the Sakharov<sup>7</sup> concept of an electro-dynamic vacuum spacetime-vacuum as the origin of an electro-dynamic gravity.

Mikio Kako<sup>8</sup> has recently conjectured that the Big Bang was due to appearance of the Higgs Boson which caused particles to acquire mass. But was this appearance of the Higgs merely another consequence of a change in physics? Here, we make a deeper, howbeit rudimentary, inquiry into the origin of mass as due to the appearance of a hidden 5th dimension, and we find that the Higgs Boson falls out as a consequence of the appearance of compactified 5th dimension, and gains its own mass from it, rather than being a direct cause of particles acquiring mass. However, the Higgs is obviously associated with the mass generating mechanism of the 5th dimension and so is part of circle of cause and effect. In this GEM model, which we will refer to as a “Bohr Model” of unification, the Big Bang was triggered by a collapse or shattering of a formerly infinite 5th dimension, breaking up large scale coherence in that dimension and thus increasing entropy, by spreading action over a range of scales. The appearance of this compactified 5th dimension led to particles, including the Higgs Boson, to acquire mass and the Cosmos we experience.

Based on studies of primordial nucleo-synthesis in the early fireball, the physics of the universe has remained unchanged since the first fractions of a second of the primordial explosion. However, in order for the Big Bang to occur, physical laws must have undergone a change. It now appears possible to understand a mechanism by which the Big Bang was triggered, leading to the universe we now know. It can be postulated that a universe of 5 dimensions, all infinite, existed, and that one of the dimensions that existed then underwent a catastrophic collapse and compactified, becoming a curled up or hidden dimension<sup>6</sup>. The driver for this collapse was apparently an increase in entropy and lessening of action, two fundamental principles that determine dynamics in our present universe, this change also gave rise to mass and electric charge. This can be seen mathematically by a model of a universe filled with a massless quanta, that is a vacuum, with a metric tensor:

$$\gamma_{ab} = \begin{bmatrix} g_{\nu\nu} + \xi \kappa^2 A_r A_\nu & \xi \kappa A_r \\ \xi \kappa A_\nu & \xi \end{bmatrix} \quad (5)$$

Where  $A$  is the electric 4 potential the indices,  $a$  and  $b$ , run

from 1-5,  $\kappa=16\pi G/c^4$ ,  $g_{\nu\nu}$  is the familiar 4 metric tensor and  $\xi$  is a parameter that determines the size of the 5th dimension, with  $\xi=1$  being a compactified universe and  $\xi=S$  being the primordial infinite 5th dimensional universe. We have then a Lagrangian for a set of massless scalar quanta, with  $MP = (\hbar c/G)^{1/2}$  being the Planck mass, a mass that can arise spontaneously out of the vacuum:

$$L = \frac{\hbar^2}{M_p} \int (\partial_a \phi \partial_b \phi \gamma^{ab}) \sqrt{-\gamma} d^5 x \quad (6)$$

The minimization of this Lagrangian leads to a simple Klein-Gordon wave equation for massless quanta in flat space<sup>8</sup>:

$$\partial_a \partial_b \phi \gamma^{ab} = 0 \quad (7)$$

However, if we allow the fifth dimension to become compact so that all dependence on the 5th dimension becomes the form:

$$\phi = \sum_r \phi_r(x^\nu) \exp(i r x^5 / (2\pi r_o)) \quad (8)$$

Where  $r$  is an integer index and  $r_o$  is the size of the hidden dimension. Then the particles in the quantum Lagrangian acquire both mass and charge:

$$L = \frac{\hbar^2}{M_p} \int \left[ \left( \partial_a - \frac{i r}{2\pi r_o} \xi \kappa A_a \right) \phi \right]^2 - \left( \frac{r}{2\pi r_o} \right)^2 \phi^2 \sqrt{-\gamma} d^5 x \quad (9)$$

Where the electric charge is identified as:

$$e = \frac{\xi r \kappa}{2\pi r_o} \quad (10)$$

and the characteristic mass :

$$m = \frac{\hbar r}{2\pi r_o c^2} \quad (11)$$

So that for field free space, we have:

$$\partial_a \partial_b \phi \gamma^{ab} + \left( \frac{m c}{\hbar} \right)^2 \phi = 0 \quad (12)$$

So that the compactification of a 5th dimension allows both charged and massive particles to appear from a previously vacuum filled universe. These particles can move and scatter off each other freely, increasing entropy, just like the shattering of a stone obelisk into pieces increases entropy. Therefore, without going into further detail, it can be hypothesized that the universe we live in was borne from the catastrophic failure of a dimension in a formerly 5 dimensional universe, leaving the formerly infinite 5th dimension as a fragment of its previous self. However, the values of the characteristic mass and charge are subject to some adjustment because the vacuum must be considered

electrodynamic and vacuum polarization and thus renormalization must occur. For instance for a value of  $\xi = r = l$  and  $\kappa$  being its normal vacuum value the electron charge  $e$  requires the hidden dimension size  $r_0$  to be of the order of the Planck radius, however, without renormalization this would require the mass scale to be the Planck mass. However, here we will consider that part of the mass is due to interaction with the polarized vacuum around the charge and this must reduce, or renormalize, the mass. So, for now, we will consider that renormalization occurs and erases this problem of charge-to-mass in the Kaluza-Klein theory. This is equivalent to the model of a “quartic potential” triggered by the appearance of a Higgs Boson, that gives particles non-zero masses that are none-the-less lowest energy state, due to a gravitation-like negative self-potential. An analogous model occurs in cosmology where the proton density  $\rho \cong \psi^2$ , that is: a quantum probability squared, contributes to the mass-energy of the universe by the equation for energy density

$$w = \psi^2 m_p c^2 - \frac{8\pi G}{3} m_p^2 \psi^4 \quad (13)$$

where for  $\Omega=1$  the second term becomes  $c^2$ .

Another way this can be looked at is that a renormalization occurs due to quantum vacuum polarization over wavelengths from the Planck length to the size of the hidden dimension  $r_0$  so that we have, similar to the calculation for the self-energy of the electron:

$$\pi \ln \left[ \frac{r_0}{r_p} \right] \cong \alpha^{-1} \quad (14)$$

This can be considered to allow both  $e$  and  $r_0$  to be free from each other for our purposes. Therefore, the compactification of a 5th dimension automatically produces charged massive particles in our spacetime dimension. Since the appearance of the electron charge leads to an action  $e^2/c \ll \hbar$  that is less than Planck’s constant, i.e. the fine structure constant  $\alpha = e^2/(c \hbar) = 1/137 \ll 1$ , the compactification leading to the electric charge, and particle mass, is consistent with the overarching principle of minimization of action in nature. This minimum action principle underlies all physics as we understand, including everything done in this paper.

We will consider, consistent with the success of quantum electro-dynamics, that all particles are imbedded in a spacetime that is itself electro-dynamic. This means charged particles will produce “vacuum polarization” in the fabric of spacetime around themselves, over many scales of length, as if it was a conventional dielectric. This leads to observable quantities such as charge or mass “at a distance” being renormalized versions of a “bare charge” or mass measured at short distance scales. Because this process is governed by quantum uncertainty, sums over these renormalization effects lead to characteristic terms of the form  $\ln(r_{in}/r_{uv})$  where  $r_{in}$  is the low energy “infrared” limit of the effects, and  $r_{uv}$  is some cutoff at the high energy “ultraviolet”, which in an

ordinary dielectric would be the molecular spacing of the dielectric but here in the vacuum is  $r_P$ , the Planck length. This is entirely consistent with the GEM view of the gravity as electro-dynamic, gravity being the curvature of spacetime, which is itself, is electro-dynamic. Thus the price of analyzing field unification in terms of particle masses and charges observed “at a distance” is to understand that quantities such as “classical radii” are actually averages or sums over vacuum electro-dynamic effects ranging down from the subatomic to to the Planck scale. Therefore, even though we will consider that charged particles exist in an electro-dynamic vacuum and have charge and mass “at a distance” that are well characterized, we will consider that such particles come into existence through process deeply removed from direct observation and operating over many deeply subatomic length scales.

We will also consider that spacetime is not just 4 dimensional, having three distinct spatial dimensions and one of time, but that an additional “compactified” 5th dimension exists as a degree of freedom. This 5th spatial dimension, whose consequence is the existence of massive particles, is restricted compared to the other dimensions, but none-the-less is a degree of freedom capable of variation.

However, it is not enough to merely create conditions for charged massive particles to exist, they must be born in a process that conserves both charge and vacuum quantum numbers. Attempts have been made to connect these processes with the Higgs mechanism for producing mass but these have been so far unsuccessful. However, in the GEM unification theory a connection has been found, and will now be discussed.

### 1.1. Hawking-Feynman Path Integral Approach

Previously<sup>1</sup>, it was found that the introduction of a compactified (“curled up”) 5th dimension led to the proton and electron as the two basic particles of the cosmos and that the electrostatic structures associated with them gave rise to Mie resonances that created quanta corresponding to the charged bosons associated with the Strong and Weak forces: the charged pion and the W boson. The masses of these particles were predicted to high accuracy. We also found the Higgs Boson by similar methods to high accuracy. We are led by these results to consider the birth of particles from the vacuum, together with the force fields between them, as somehow leading to the Big Bang.

In the beginning, one moment there was a vacuum and the next there was an expanding fireball of ionized hydrogen, protons and electrons with a small admixture of neutrons. By conventional theory, there was a period in the Big Bang scenario when the particles had no mass, but then the Higgs interaction- not a force between particles but a uniform field filling the vacuum itself -was “switched on” and the particles assumed their masses. Dr. Alfred Lehen (private communication) of Madison College has commented on this scenario by pointing out that this interaction not only gave rise to the particles as we know them, but also gravity fields between particles, so no analysis of a Higgs switch-on

scenario can be achieved without gravity fields appearing as well as the Higgs interaction. However, we can understand this switch-on scenario in a different way, via Kaluza-Klein theory- which contains a scalar Radion scalar field similar to the Higgs field and also contains the metric curvature of spacetime so that the Higgs interaction and gravity are coupled and can switch-on together.

The collapse of one dimension of a 5 dimensional vacuum cosmos, with 4 infinite spatial dimensions, and one time dimension, into a compactified form, leading to a conventional 4 spacetime-dimensional cosmos with a compactified 5th dimension, can lead to particles assuming their present day masses in a cosmos full of hot plasma of plus and minus charged particles. Such an event greatly increases the entropy of the universe from the 5-vacuum state that preceded it. In one instant of time the cosmos went from being very simple and smooth to disordered and full of particles moving chaotically. Thus, the new, Big-Bang cosmos was favored thermodynamically over the old infinite 5 cosmos, because it contains more entropy. This complexity can be understood as a sum over possible histories starting with the time when no Radion field exists, indicating that the possible histories, even for an individual particle, are themselves complex. The transition of spacetime from being smooth to that a spacetime containing a hidden dimension and thus being full of dust-like regions of tightly curved spacetime, also we shall see, leads to both long range and short range forces between particles.

Force is the result of gradients in potentials. By introducing highly curved space at small radii, transitioning to uncurved space at infinity, away from the particles, gradients in spacetime curvature and thus infinite range forces are created. At short ranges, we shall also see, quantum resonances caused by preferred paths around structures or quantum Mie scattering off of structures associated with the particles and hidden dimension sizes, that create short range quantum force fields. Because the quanta created by quantum Mie scattering is of non-zero masses and thus they are confined by Heisenberg's Uncertainty principle to finite range. Thus the Kaluza-Klein approach, where the birth of a collapsed dimension can trigger particle masses and also long and short range forces can unify the force fields of nature and explain particle mass as an interaction similar to the other interactions. In truth, all particle interactions with a potential, thus changing particle energy, change mass through the  $E=mc^2$  relation, it is just the Higgs interaction which changes the mass most dramatically. Therefore, not-unsurprisingly, this approach can also unify the Higgs interaction with the other four particle interactions and recover the mass of its signature particle, the Higgs boson. The force of these forces vary with spatial separation in normal three-space, however, the Higgs interaction, or Radion field, varies with the separation of particles in the 5th dimension.

The search for unification is the search for the most fundamental theory of particles and fields in the cosmos. Thus, we attempt to use the most fundamental formalism of

quantum mechanics, the Feynman Path Integral formalism to achieve results. In Feynman path integral physics, the idea of resonance and geometry are combined, and in its extension to a 5th dimensional space, mass and spacetime geometry are connected. Here we will use formalisms proposed by Hawking to establish our basic results. A curious quantity termed "Ultra-charge" is identified as spin quanta plus charge quanta:  $uc = s + q$ , and appears to represent topological information involved in some path integrals. The foundation of this new mathematical model is the results of the GEM theory.

The GEM theory is a geometric theory, that is an alloy of the Sakharov<sup>8</sup> and Kaluza-Klein theory<sup>7</sup> approaches to the unification of EM and gravity, the two long-range forces of nature. The theory is fairly primitive, being described as a "Bohr Model" of field unification at this point, by analogy to the early simple model of the quantum mechanics of the hydrogen atom. However, the GEM theory is successful in explaining the basic relationship of EM and gravity force fields. This creates the fabric of spacetime that is electromagnetic, and obtains the field equations of both with the 5th dimension of Kaluza-Klein and by linking the existence of the proton and electron. These particles are at the lowest energy end members of the Lepton and Baryon families as a pair of fields, to the existence of the force field pair of gravity and EM. The GEM theory finds the value of  $G$  and the mass of the proton in terms of the Planck mass, both to high accuracy, without free parameters, as a result. Here we reformulate the GEM theory in the form of Feynman Path Integrals<sup>9</sup>. Time and space are completely separable in the Feynman formalism, unlike other relativistic approaches where they are mixed. This means the flow of time in Feynman path integrals is forward and entropy must increase due to the sum over possible paths. This can be shown to be equivalent to the Schrodinger Wave Equation solutions in quantum mechanics. The Feynman Path Integrals method works by three basic rules:

- The Probability for an event is given by the squared length of a complex number called the "probability amplitude".
- The Probability Amplitude is given by adding together the contributions of all the histories in configuration space.
- The contribution of a history to the amplitude is proportional to  $\exp(iS/\hbar)$  where  $S$  is the action of that history, given by the time integral of the Lagrangian  $L$  along the corresponding path between times  $t_2$  and  $t_1$ .

$$s = \int_{t_1}^{t_2} L dt \quad (15)$$

According to these rules, the most probable path integrals are over closed paths and result in actions that are multiples of Planck's constant:

$$h = \int_{t_1}^{t_2} L dt \tag{16}$$

An example of this approach is defining the closed orbital paths of electrons inside a hydrogen atom, where this formalism gives the same results as the Bohr model, and hence the same predicted spectra. In general, the Feynman method can be considered as transforming the quantum evolution of a system in time with that of a statistical ensemble of possible states of a system, with more likely states dominating its evolution.

In our application of the Feynman Path Integral method to the GEM model we must include paths that lie in the 5th dimension. Since these paths are short compared to the Compton wavelength of the particles, and lie within a curled up dimension, we will assume, in keeping with the Heisenberg Uncertainty Principle that these paths involve relativistic motion at high energy and thus determine the mass of the particle itself. Thus, we identify the 5th dimensional pathways in the Feynman Path Integral with the Higgs Mechanism. The Higgs field in a conventional field theory, is a potential permeating all space that couples to the particles and gives them their masses. Since the field does not vary in ordinary space or time dimensions, we can assign it to an independent 5th dimension. Since changes in mass cannot be separated from spacetime geometry we will use the Hawking formalism<sup>10</sup> of Feynman's Path Integral to allow spacetime to change over the integrals, and by this obtain a formula for particle masses. This can be compared to the Einstein concept of a particle following a geodesic, or the shortest path through a curved spacetime. In the Feynman-Hawking formalism, the geodesic path is the most favored but spacetime is allowed to fluctuate around its normal smooth character. Due to the complexity of this type of theory, we will proceed quickly and semi-heuristically, and so will arrive at a mass formula. We will be guided in this by the principle that results be physically simple to interpret and will not violate Maxwell's equations and will lead to an increase of entropy in the universe, and thus be a favored process.

In order to work with spacetime curvatures, Hawking first integrates over the volume containing a particle and converts into a Gaussian-like surface integral.

Following Hawking we can calculate a probability of a final field and particle configuration at time t2 based on initial configuration at time t1, with all possible fields  $\phi$  and all possible spacetime metrics  $g$ , by taking a path integral I of the action between the two times:

$$\langle g_2, \phi_2, t_2 | g_1, \phi_1, t_1 \rangle = \int D(g), D(\phi) \exp(i I [g, \phi] / \hbar) \tag{17}$$

$$m c^2 = I_o = \frac{c^2}{4\pi G} \oint_{s'} \vec{g} \cdot d\vec{s} \tag{18}$$

Where  $m$  is the particle mass,  $G$  is the Newton gravitation constant, and surface  $s'$  bounds the volume containing the particle. Hawking then uses the surface integral to calculate

the mass inside it. This use of gravity to identify particle masses within a spacetime volume cannot be done without an important assumption: that is high frequency gravitons, which are allowed by the Heisenberg Uncertainty principle, and which themselves have mass, will not contribute to the mass of the space containing the particle.

Therefore, in order to avoid unphysical instability of spacetime to forming black holes, we make the fundamental GEM Assumption that high frequency gravitons are unstable to decay into EM photons and thus high frequency gravitons, with wavelengths of the order of classical particle radii and below, are suppressed by EM-gravity unification and can make no contribution other than small perturbations. With this primary assumption made, and following Hawking's formula in a simplified form, we obtain, in the limit of vacuum fields:  $g_o$  and  $\phi_o$ , for both electromagnetic and gravity fields, with corrections due to excited fields of first:  $g_{\sim}$  and  $\phi_{\sim}$  and second order:  $g_{\approx}$  and  $\phi_{\approx}$  :

$$m c \ell \cong \int_{t_1}^{t_2} L(g_o, \phi_o) dt + \int_{t_1}^{t_2} L(g_{\sim}, \phi_{\sim}) dt + \int_{t_1}^{t_2} L(g_{\approx}, \phi_{\approx}) dt \dots \tag{19}$$

Where  $\ell$  is some physically relevant length derived from the volume of integration for the surface integral. Here we now invoke the Kaluza-Klein 5th dimension and identify the rest mass of the particle as the path integral over a 5th dimensional path. Following the formalism of compactified dimensions proposed by Klein we will write the Lagrangian as:

$$L(g_o, \phi_o) = M_{Planck} c \exp(-\ln \sigma(q/e)) \tag{20}$$

where  $\sigma$  is identified as the proton-electron mass splitting parameter, and we use the GEM identification of the 5th dimension as electric charge, and so normalized path length is identified as  $q$  over  $e$ , where  $e$  is the electronic charge. This can be identified with Radion, or dilation factor of the new hidden dimension<sup>11</sup>.

We obtain then, in Hawking's expansion around vacuum or near vacuum fields, the first order term:

$$m c^2 \cong \frac{c}{\ell} \int_{t_1}^{t_2} L(g_o, \phi_o) dt \tag{21}$$

$$= M_{Planck} c^2 \exp(-\ln \sigma(q/e))$$

### 1.2. Particles From the Vacuum: The GEMS Approach

We have the vacuum quantities associated with the Planck scale:

$$r_p = \sqrt{\frac{G \hbar}{c^3}} \tag{22a}$$

$$M_p = \sqrt{\frac{\hbar c}{G}} \tag{22b}$$

$$q_v = \sqrt{\hbar c} \tag{22c}$$

The simplest result then would use the vacuum derived Planck charge  $q_v$  as the length of the path in the 5th dimension. Using this we could obtain the proton mass as the simplest result.

We must now consider other constraints to such a theory. Nothing, especially the cosmos itself, is by definition simple. In particular, the appearance of one particle does not increase entropy in the universe, and entropy requires complexity. Also, we must consider that a charged particle cannot simply pop out of the vacuum without violating the electromagnetic constraint of charge neutrality. So the same simple process of a path integral allowing the appearance of a proton must also allow the appearance of an electron to balance it and to maximize entropy. Therefore, we must have the proton appear as part of a system that includes the electron, so that hydrogen results:

$$q_p = -q_e \tag{23a}$$

$$q_p = e, \quad -e = q_e \tag{23b}$$

Another constraint occurs because the path length in the vacuum that cannot be simply a distance, but must be a spacetime interval. In the vacuum state all particles must be masses and move at the speed of light and have a spacetime interval of zero:

$$r_o^2 = (x_o^2 + y_o^2 + z_o^2) \tag{23c}$$

$$r_o^2 - c^2 t_o^2 = 0 \tag{23d}$$

It is seen that the appearance of the new hidden dimension occurs in a form analogous to the splitting of a canceling charge pair of particles from the vacuum, by splitting of a quantized light-like, or vacuum, space-time interval of length zero. In the GEM theory the hidden dimension size, where the hidden dimension can mix with the non-hidden dimensions, is the quantized particle size. The hidden dimension quantities are thus able to mix with the normal spacetime quantities because they are similar at smaller scales. This will lead to, as we experience them, two particle types. One is associated with the time-like portion of the constrained interval, leading to a one-dimensional character, an electron, and another of equal size with a space-like character having three constrained sub-dimensions, a proton. The gravitation constant  $G$  functions in the vacuum as the “interpreter” of charge into either mass or distance. Thus, ironically, charge and mass, the source terms for EM and gravity, are unified already in the vacuum quantity  $G$ , which has units of charge to mass ratio squared in the esu system used here.

$$q\sqrt{G/c^4} = r \tag{24a}$$

$$r_o^2 = (G/c^4)(q_x^2 + q_y^2 + q_z^2) \tag{24b}$$

$$r_o^2 = c^2 t_o^2 = (G/c^4) q_t^2 \tag{24c}$$

Therefore, the quantized vacuum scale length, the Planck length, gives birth to a quantized larger scale hidden dimension. Because the quantized hidden dimension is an image of macroscopic space-time in a light-like interval, and its structure is part of a split “lightlike” spacetime where charge  $q$  is analogous to macroscopic dimensions as a length, we have charge conservation and interval conservation. We obtain from these conditions the following constraints on the charges of the particles:

$$q_o = -q_t = q_x + q_y + q_z \tag{25}$$

$$q_o^2 = q_t^2 = q_x^2 + q_y^2 + q_z^2 \tag{26}$$

where the subscripts denote the corresponding time or space dimensions in the unconstrained Cosmos. Thus, the space-like portion of the split interval, the proton, has three sub-dimensions that we interpret as quarks or sub-charges, while the electron acts like a single entity.

Therefore, with the constraints of charge neutrality and spacetime interval being conserved, we go forward and see the formation of the electron-proton system from the vacuum. Based on the concept of an expansion in orders from Eq. due to path integrals in the presence of vacuum, and then first-order and higher-orders of field and spacetime excitations, we can understand electron and proton appear as opposing path integrals off a main path integral over  $qPlanck$ . One path yields more mass and gives positive charge and the other opposing path takes away mass and gives negative charge.

We can then see from this the fundamental concepts of the GEM theory:

$$m = m_o \exp\left(\pm \left| \frac{q}{e} \right| \phi_o\right) \tag{27}$$

Where the angle  $\phi_o = \ln \sigma$  where  $\sigma = 42.8503... = (mp/me)1/2$ . Extension of this mass model in Eq. 10 can be achieved (Brandenburg 2011) to include a definition of  $m_o$  in terms of the Planck mass, and where we use the normalized Planck charge  $qP/e = \alpha/2$  gives us the expression:

$$m = M_p \exp\left(\pm \left| \frac{q_p}{e} - 1 \right| \ln \sigma\right) \exp\left(\pm \left| \frac{q_p}{e} \right| \ln \sigma\right) \tag{28}$$

So the simplest result:

$$m = M_p \exp\left(-\frac{q_p}{e} \ln \sigma\right) \tag{29}$$

This leads to a simple expression for the proton mass in terms of the Planck mass:

$$m_p = M_p \sigma^{-\alpha^{-1/2}} = 1.713 \times 10^{-24} \text{ g} \tag{30}$$

This model also leads to the fundamental relations:

$$\ln\left(\frac{r_o}{r_p}\right) = \left(\frac{m_p}{m_e}\right)^{1/2} = 42.8503 \quad (31a)$$

$$\frac{m_p}{M_p} = \left[\ln\left(\frac{r_o}{r_p}\right)\right]^{-\alpha^{1/2}} = 1.713 \times 10^{-24} g \quad (31b)$$

Which can be inverted to yield the formula for the Newton Gravitation constant:

$$G = \frac{e^2}{m_p m_e} \alpha \exp\left(-2\left(\frac{m_p}{m_e}\right)^{1/2}\right) = 6.668 \times 10^{-8} \text{ dynes} - \text{cm}^2 / \text{g}^2 \quad (32)$$

Hawking presents a formalism that an expansion of the integral can be made so that the first terms are associated with the vacuum fields and the next terms are due to excitations of higher-order. In the GEMS theory then we can associate the first order excitations with paths in ordinary space and the 5th dimension on surfaces defined by the vacuum fields. These surfaces are defined by the vacuum fields around the particles defined as thin shells with mass charge and spin. Thus, except for the infinitesimal thickness of the shell, the fields are those of a vacuum. These are then spheres of the classical radii of the particles. The first sphere has a radius of the hidden dimension and is determined by the electron charge and the mesoscale mass:

$$m_o = \sqrt{m_p m_e} \quad (33a)$$

$$r_o = \frac{e^2}{m_o c^2} \quad (33b)$$

where  $m_o = 3.904 \times 10^{-29} \text{kg}$  and  $r_o = 6.58 \times 10^{-17} \text{m}$ .

GEM theory linked the appearance of the electronic charge and classical particle radius, as a hidden dimension size,  $r_o$ , to the appearance of the mass scale of the subatomic particles, the electron and protons. We can interpret the adding of mass and reducing of mass as fundamental events involving pathways in the 5th dimension. However, for this to be true the path integral in the 5th dimension must have a different normalization than in normal 4 spacetime.

## 2. Results and Discussion

These orders of perturbation on spacetime and fields result in separate particles within the same Gaussian surface, and thus add to the mass in increments, for the mass of an electron or proton we have:

$$I = \frac{c}{e^2} \int_0^{r_o} m c^2 e^{\pm q/e \ln \sigma} \frac{dr_c}{c} = \frac{c}{e^2} m c^2 e^{\pm q/e \ln \sigma} \frac{r_o}{c} = m c^2 \frac{r_o}{e^2} e^{\pm q/e \ln \sigma} = \frac{m}{m_o} e^{\pm q/e \ln \sigma} = 1 \quad (34a)$$

$$m = \sigma m_o \quad + q, \text{ or, } \quad m = m_o / \sigma \quad (34b)$$

These path integrals, leading to quantum excitations with canceling changes in charge and spin have by our change in  $UC = \Delta Q = \Delta q - \Delta s$  so  $\Delta Q = 0$ .

A conventional path integral, with normalization  $\hbar$  exists, this one on a curved path around a classical radii we can write this as for a path around an electron radius, if we assume the resulting quantized excitation will be charged but have no spin then we have a change in  $UC = \Delta Q = \Delta s$  so  $\Delta Q = I$  so a factor of  $1/2$  must be attached to the classical radius  $rc$

$$I = \frac{2\pi}{h} \int_0^{r_o} m c^2 \frac{dr_c}{c} = \frac{2\pi}{h} m c^2 \frac{r_c}{c} = \frac{2\pi}{h} m c^2 \frac{e^2}{2m_e c^2} = \frac{\alpha m}{2m_e} = 1 \quad (35a)$$

$$m = 2m_e / \alpha \quad (35b)$$

We can also make a path in ordinary 4 space but with a 5th dimension normalization, across the classical radius of the proton. Once again, if we assume the resulting quantized excitation will be charged but have no spin then we once again have a change in  $UC = \Delta Q = \Delta s$  so  $\Delta Q = I$  so a factor of  $1/2$  must be attached to the classical radius  $rc$

$$I = \frac{c}{e^2} \int_0^{r_o} m c^2 e^{+q/e \ln \sigma} \frac{dr_c}{c} = \frac{c}{e^2} m c^2 e^{+q/e \ln \sigma} \frac{r_c}{c} = m c^2 \frac{r_c}{e^2} e^{+q/e \ln \sigma} = \frac{m}{2m_p} e^{+q/e \ln \sigma} = 1 \quad (36a)$$

$$m = 2\sigma m_p \quad (36b)$$

This is the W boson, carrier of the Weak force<sup>12</sup>. This means that the ratio of masses of the W boson and the charged pion, both UC changing excitations, will be a pure number involving only  $\sigma$ , and  $\alpha$ :

$$\frac{M_W}{m_{\pi^\pm}} = \sigma^3 \alpha = 574.3 \quad (37)$$

$$I = \frac{2\pi}{h} \int_0^{r_o} m c^2 \frac{dr_o}{c} = \frac{2\pi}{h} m c^2 \frac{r_o}{c} = \frac{2\pi}{h} m c^2 \frac{e^2}{m_o c^2} = \frac{\alpha m}{m_o} = 1 \quad (38a)$$

$$m_1 = m_o / \alpha \quad (38b)$$

Finally we can do a second order integral, a path integral across the radii associated first-order excitation, such a second-order excitation could be expected to be unstable and more short lived than the first order excitation path integral quantum.

Like many two-step processes, a second path is apparent, but this path reverses the change in UC that resulted in the proton so  $\Delta Q = -1$  so that it takes away both spin and charge and thus involves only a "neutral" classical radii of the proton so the factor of 2 disappears.

$$I = \frac{2\pi}{h} \int_0^{r_o} m c^2 \frac{dr_c}{c} = \frac{2\pi}{h} m c^2 \frac{r_{po}}{c} = \frac{2\pi}{h} m c^2 \frac{e^2}{m_p c^2} = \frac{\alpha m}{m_p} = 1 \quad (39a)$$

$$m = m_p / \alpha = \sigma m_o / \alpha \quad (39b)$$

This is the Higgs boson, which can be interpreted as a second order quantized excitation off the hidden dimension with zero change in UC so  $\Delta Q = 0$ . Therefore, the Higgs boson in this theory occurs as a second order  $\Delta Q = 0$  excitation off the hidden dimension, The Higgs Boson can be interpreted as the first particle which displays the Radion quantum in a “bare” state. This particle is unique in that it represents the Radion field that creates the hidden 5th dimension everywhere is spacetime. However, it is not a “God particle”, it is merely a particle representing the hidden 5th dimension and carrying an important force, like pion or photon, which, like gravity or EM, shapes the cosmos.

Accordingly, the proton and electron can be considered as 1st order Radion interactions with the particle that exists at the hidden 5th dimension.

$$m_p, m_e = m_o \sigma^{\pm 1} \tag{40}$$

These particles are stable however, the first order QED interaction or mion off the hidden dimension size  $r_o = r_e/\sigma$  is the lowest lying charmonium state  $\eta_c$  of mass:

$$m_\eta = m_o / \alpha = m_e \sigma / \alpha \cong 3000.6 MeV \tag{41}$$

where the measured mass is  $m_\eta = 2985 MeV$ , or with .7%. It is this scalar meson which appears to provide the pressure to hold together the hidden 5th dimension and carry the 5th force. It will be found that both the proton and electron, being stable charged particles, have a zero frequency electrostatic radius of  $1/2$  their classical radii, and that both of these give rise to short lived quantum mion particles due to either Radion or QED interactions, from the proton we have the mion of mass:

$$m_w = 2m_p \sigma \cong 80.409 GeV \tag{42}$$

Whereas the measured value is  $m_W$  (meas.) = 80.398 GeV or with 1.3 parts per ten thousand. This is the lightest of the W Weak force bosons that carries the weak force. The QED first order mion off the electron is the  $\pi$  meson, carrier of the strong force. This will be discussed in the next section in

more detail.

$$m_{\pi^\pm} = 2m_e / \alpha = 140.05 MeV \tag{43}$$

Where the measured value is  $m_{\pi^\pm}$  (meas.) = 139.60 MeV or within 0.3%. This suggests electron may be affected by the Strong Force. If so, this would manifest itself in anomalous energy shifts in K shell spectra in heavy atoms. Thus, the ratio of the two boson masses should be  $m_W / m_{\pi^\pm} = \alpha \sigma^3 = 574.3$  versus the measured value of 574.2.

The  $\eta_c$  (eta-c) meson is an important particle despite being unstable outside the neighborhood of the 5th dimension and so it is reasonable that it would have its own mion. The next order mion type particle associated with the 5th dimension would then be second-order mion, corresponding:

$$m_H = m_{\eta_c} \sigma \cong 127.69 GeV \tag{44}$$

This is then the Higgs-Boson, which is a quantum that can be associated with the Radion or mass inducing field. It can also be considered as the “most general” excitation of hidden dimension size  $r_o$ , involving both 4-dimensional paths and the 5th dimension at the same time. Thus, the 1st order interactions off the 5th dimension are the electron, proton, and eta-c meson, the 2nd order interactions off the 5th dimension are the  $\pi$ -meson, and the Z boson. The most generalized excitation, involving both “long way around” and “short-cut” in the 5th dimension is the Higgs-Boson. The pion and Z boson mediate the strong and weak force, and the Higgs-Boson may serve as the carrier of the Radion field in energy range near the 5th dimension.

This means the ratio of charged mion bosons should be:

$$\frac{M_W}{m_{\pi^\pm}} = \sigma^3 \alpha = 574.3 \tag{45}$$

Where the measured value of this ratio of masses is 574.2, thus, the mion model is highly accurate. Therefore, based on simple quantum models, we can derive the Strong and Weak nuclear force from concepts flowing from the GEM theory. However, much complexity has been neglected.

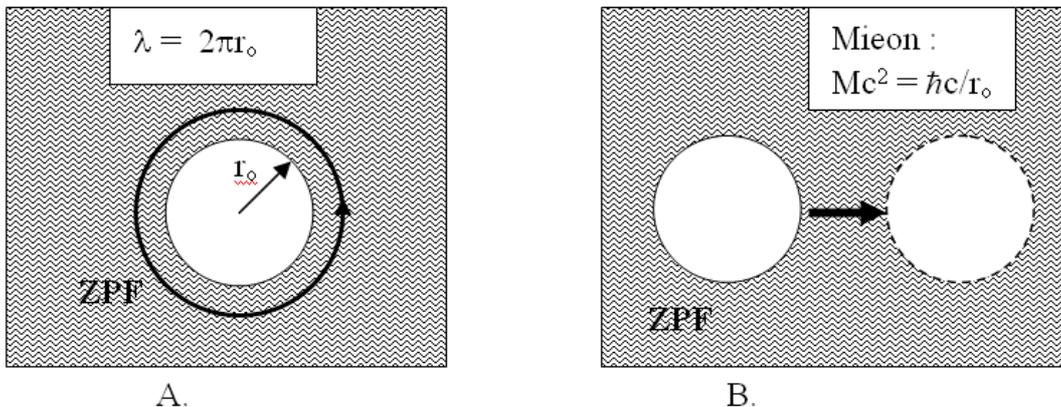


Figure 2. A. Excitation of a Mie scattering wave by ZPF at resonance, represented her by a closed pathway on the classical surface of a subatomic particle where the condition  $\lambda=2\pi r_o$  occurs. B. Emission of a quantum Mie particle, or mion, with Compton wavelength  $\lambda=2\pi r_o$ .

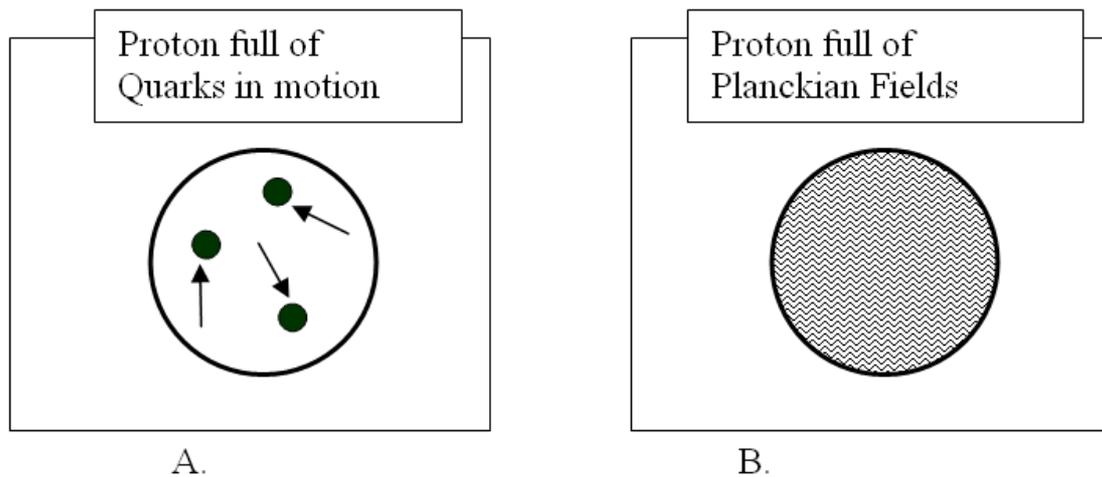
This particle could be expected to be charge-neutral like the mesoscale mass. However, it is now recognized that the GEM theory created a doorway to understanding with two short-range forces of nature the Weak and Strong nuclear forces, because in unifying gravity and EM in a geometric theory, it produced a geometric scale regime for nuclear particles and the regime for their interactions. The GEM theory produced the picture of EM forces not only between charged objects but also between uncharged structures that can be extended to include short-range nuclear forces.

### 2.1. The Internal Color-Charge-Dynamics of the Proton

The proton has inside its radius of approximately  $rc$ , three dynamic entities, quarks, as a reflection of the space-like structure is acquires when the 5th dimension split the vacuum spacetime interval. The quarks are inseparable, and cannot be seen in isolation. In the GEMS theory this is due to the fact that the proton is a three-dimensional object and cannot be made into something of lower dimensionality, just like a rubber ball can be squashed but not reduced to infinitesimal thickness, when released from pressure it rebounds to its normal spherical shape. What also occurs in the GEMS

theory is that the proton is isotropic and spherical and this means that the quarks are best modeled as chaotically mixed at all times. In the GEMS theory the proton is full of entropy.

We can therefore model the proton, since we consider it full of chaotic EM fields as a spherical shell of radius  $rc$  full of Planckian radiation fields, one field for each of the 3 color charge fields (see Figure 3.). We will consider that the electric charge resides on the surface of the shell, which is full of neutral  $\pi$  mesons. We will consider the shell to be thin. We will assume an emissivity of close to one  $\epsilon \approx 1.0$  so the Black Body model will be valid. We will choose the temperature of the Planckian fields to be  $kT = m\pi c^2 = 264m_e c^2$ , the mass of the neutral pion. Black Body modes of longer wavelength than the radius of a spherical cavity are cut off, however, the wavelength of energy maximum for a Planckian distribution is approximately 1/5 that of  $\lambda = hc/kT = 9.183 \times 10^{-13}$  cm where  $h$  is the normal form of Planck's constant. A cutoff of wavelengths longer than that corresponding to  $kT$  thus leaves approximately 96.6% of the energy in shorter wavelength modes intact, thus such a cutoff does not violate our Planckian assumption.



**Figure 3.** A. A model of the proton has having three rapidly and chaotically moving quarks. B. A model of the fields in the proton as being at maximum entropy, due to quark free motion, that is: Planckian.

Therefore, we will assume the proton is full of EM energy  $W$  in 3 Planckian modes or colors in a volume  $V_c$  of a sphere of radius  $rc$ :

$$W = 0.966V_c 3 \left[ \frac{8\pi^6}{15} \left( \frac{(kT)^4}{(hc)^3} \right) \right] \quad (46)$$

Here the Planckian modes must be considered independent, so they simply add to each other. Using the fact that  $rc = (m\pi c^2/hc) = 1/6.518$ , we obtain approximately:

$$W = 6\pi^5 0.966 \left[ \frac{16\pi}{45} (264.2)m_e c^2 \left( \frac{r_c^3}{\lambda_{\pi}^3} \right) \right] \quad (47a)$$

$$W = 6\pi^5 m_e c^2 (0.966) \left[ \frac{16\pi}{45} \left( \frac{264.2}{276.90} \right) \right] \quad (47b)$$

$$= 6\pi^5 m_e c^2 (1.03)$$

$$W \cong 6\pi^5 m_e c^2 \quad (47c)$$

Therefore, the Lenz-Wyler formula,  $mp/me = 6\pi^5$  which is accurate to 17 parts per million, can be derived to high accuracy from a simple model of the proton as containing 3

independent Planckian fields of temperature corresponding to the rest energy of the neutral  $\pi$  meson. This means that entropy exists even in the subatomic scale.

**2.2. Quarks and the Subdimensions of the 5th Dimension and the GEM-Strong Theory**

Quarks in three colors appear naturally in the GEM theory. As was previously discussed the Kaluza-Klein fifth dimension can be considered to be a new dimension which can replace either time or space in a light-like interval, as was seen in Eq. 5a, b. The fifth-dimension then becomes a constrained image of either the time or space portion of spacetime and thus has four sub-dimensions. The electron corresponds to a “time-like” or scalar entity while the proton corresponds to a space-like component, having three sub-dimensions. We can minimize the volume of this three-space, given the two constraints of charge conservation and the conservation of mesoscale radius, defined in Eq. 5a,b, which is a constraint on the sum of the quark charges, and sum of the squares of quark charges. We have then the constrained relaxation of the system, in the form a Lagrange multiplier system:

$$q_1q_2q_3 + \lambda_1(q_1^2 + q_2^2 + q_3^2) + \lambda_2(q_1 + q_2 + q_3) \quad (48)$$

Where we minimize the three-volume formed by the quark charges:  $q_1q_2q_3$ , subject to the constraints that their total charge is that of the electron (in electron units)

$$q_1 + q_2 + q_3 = 1 \quad (49)$$

And the sum of their squares is also unitary, so the classical radius of the compound particle is that of an electron:

$$q_1^2 + q_2^2 + q_3^2 = 1 \quad (50)$$

We have then, upon varying the values of  $q_1, q_2, q_3$  respectively, the three equations:

$$q_1q_2 + 2\lambda_1q_3 + \lambda_2 = 0 \quad (51)$$

$$q_1q_3 + 2\lambda_1q_2 + \lambda_2 = 0 \quad (52)$$

$$q_3q_2 + 2\lambda_1q_1 + \lambda_2 = 0 \quad (53)$$

which have the solutions:

$$\lambda_1 = \frac{1}{3} \quad \lambda_2 = -\frac{2}{9} \quad (54)$$

$$q_1 = -\frac{1}{3}, q_2 = q_3 = \frac{2}{3} \quad (55)$$

This corresponds to the standard quark model, and the second solution is that of an electron with  $q_1 = -1$  and  $q_2$  and  $q_3 = 0$ . Thus in solving the problem of the structure of a 5th dimension, one finds that its 3-volume, upon being minimized, with constraints, yields the charges of the quark

system. Thus, the GEM theory is actually compatible with the standard model.

In the GEM theory, the splitting apart of the proton and electron is correlated to the splitting apart of the gravity and EM forces. In the Standard Model context, this means that baryon and lepton number:  $B$  and  $L$  respectively, are not conserved but their difference ( $B-L$ ) is conserved and the non-conservation of  $B$  and  $L$  separately occurs at the Planck scale, where gravity and EM unify. The appearance of charge and mass at the subatomic scale occurs with the appearance and deployment of the 5th dimension, which slightly smaller than the EM cross-section of the electron. This means that, instead of subatomic particles being considered points, they must be treated as objects of definite size similar to the 5th dimension radius. This means that in the presence of the vacuum ZPF the structural sizes of the particles support resonances, and these resonances in-turn take on a quantum existence of their own.

In quantum electrodynamics, it is found that the sizes of various quantum objects can be understood as being created through orders of EM interaction. The Bohr radius of the hydrogen atom, and the Compton radius of the electron, for instance, can be found as the electron classical radius  $r_e = e^2/mec^2$  for instance, can be found as the  $1/\alpha^2$ , and  $1/\alpha$  respectively times the electron classical radius. However, the electrostatic radius for the electron is  $1/2$  the electron classical radius. This factor of  $1/2$  can be understood as the difference between monopole or “scalar” EM interactions, which cannot propagate farther than  $r_e$  and dipole “vector” EM waves which can propagate. This means the ratio of charged mion bosons should be:

$$\frac{M_w}{m_{\pi^\pm}} = \sigma^3 \alpha = 574.3 \quad (56)$$

Where the measured value of this ratio of masses is 574.2, thus, the mion model is highly accurate.

Therefore, based on simple quantum models, we can derive the Strong and Weak nuclear force from concepts flowing from the GEM theory. However, much complexity has been neglected.

**2.3 Vacuum Decay, the Higgs Mass, and Sunyaev\_Zeldovich Effect**

It has been suggested by Steven Hawking 12 that the value of the Higgs Boson mass will destabilize the vacuum and lead to “catastrophic vacuum instability” and the destruction of the existing cosmos. This happens because the Higgs boson, being associated with a hidden dimension and thus permeating all space, breaks the scale symmetry of the vacuum, like a Kaluza-Klein hidden 5th dimension. This hidden 5th dimension has been shown by Witten 13 to lead to a peculiar instability where bubbles of pure vacuum with mirrored surfaces expand at the speed of light, creating a “Death by Disco Ball” scenario. In the GEM theory the presence of the Kaluza-Klien 5th dimension, together with the Higgs Boson that results, along with the electron-proton

system, also leads to instability in the vacuum. It can be said that does lead to an explosion, the “Big Bang”, and the cosmos we observe is its result. However, in the GEM theory, after the Big Bang, the residual vacuum instability leads only to a “afterglow” or “benign vacuum decay” characterized by the appearance of proton-electron pairs out of the vacuum at a slow rate. This can be seen from the following analysis:

We will assume, in keeping with the Dirac Condition, that the universe is a critical gravitation condition with critical density of hydrogen,  $n_c$ :

$$n_c = \frac{3}{8\pi G m_p T_H^2} \quad \Omega \cong 1 \quad (57)$$

And also is in an “eternal inflation” or “steady state condition” such that an inflation field keeps allowing particles to pop out of the vacuum uniformly throughout the cosmos to maintain the critical density  $n_c$

$$\dot{n} = \frac{3n_c}{T_H} \quad \Omega \cong 1 \quad (58)$$

We now assume a probability of a GEM photon being absorbed and re-emitted to affect a mass transition.

$$P_{GEM} = \frac{4\pi\epsilon_o G m_p m_e}{e^2} \quad (59)$$

We also define  $\alpha$  as the probability of EM photon being absorbed and re-emitted by a particle of electric charge  $e$ . Then, by defining a Compton wavelength of mass  $m_o$  :  $\lambda_o = \hbar/(m_o c)$  we can define a quantum density fluctuation density, times the probability of a double mass transition and EM photon scattering:

$$\dot{n} = \frac{\alpha c}{\lambda_o^4} P_{GEM}^2 = \alpha c \left[ \frac{\alpha \sigma}{r_e} \right]^4 P_{GEM}^2 \quad (60)$$

This density fluctuation time is the density increase in space due to the GEM process of “vacuum decay” into hydrogen. By equating Eq. X and XI we can solve for the undetermined parameter of the Hubble Time.

$$T_H = \left( \frac{9}{8\pi} \left[ \frac{1}{\sigma\alpha} \right]^4 \frac{1}{\alpha} \right)^{1/3} \frac{e^2}{4\pi\epsilon_o G m_p m_e c} r_e \quad (61)$$

$$\cong 1.2 \times 10^{10} \text{ yrs}$$

Let us assume that when the electron-proton pair is born they form an electric dipole radiator with the electron being the active radiator. We will assume the proton-electron pair is born in a zero-energy state, that it is born ionized but “cold”. We assume that the EM radiation emitted during this process is a black body spectrum emitted by the electron and the radiation pressure is just enough to overcome the electron self-gravity

$$P_R \sigma_{Th}^2 \cong G m_e^2 \quad (62)$$

Where  $P_R$  is the radiation pressure and  $\sigma_{Th}$  is the Thompson electron cross section for low frequency EM wave scattering. We can estimate the temperature  $T_R$  of the EM radiation field. This becomes the CBR ( Cosmic Background Radiation) temperature .

$$P_R = \frac{4}{3c} \sigma_{SB} T_R^4 \quad (63)$$

$$T_{CBR} = \left( \frac{3G m_e^2}{4c \sigma_{SB} \sigma_{Th}} \right)^{1/4} = 2.65K \quad (64)$$

Therefore, CBR is actually only partly due to the Big Bang but also due to vacuum decay that causes new proton-electron pairs to be emitted into the universe. Evidence for this this is seen in striking absence of the SZ (Sunyev-Zelodovich) effect for galaxies of large red-shift 14. The SZ effect, the expected distortion of the CBR by dense plasmas in galaxies, disappears for galaxies for large red-shift 15 , as would be expected if the CBR was due to vacuum decay in the line-of -sight to the faraway galaxies. The CBR would exhibit the expected SZ effect for nearby galaxies, as is observed.. Therefore, evidence of GEM vacuum decay is present.

### 3. Conclusions

Therefore, the process of unification of the fields, whose most recent progress was the unification of the Weak and EM forces by Glashow, Weinberg and Salam<sup>16</sup> , has been continued. An attempt to unify the Strong Weak and EM forces has been made, but failed because it rested on the supposed non-fundamental character of the proton, being composed of quarks, and predicted its instability<sup>17</sup>. However, this instability has not been observed, lending support to the GEM theory viewpoint: that the proton must be treated paradoxically as both an ensemble of quarks and also as a fundamental entity, like the electron.

In the GEM theory, the Higgs Boson, exists as a consequence of the existence of the 5th dimension of spacetime and draws its own mass from this length scale. The Higgs is the “most general “excitation of the hidden dimension size, being a scattering on all degrees of freedom simultaneously, both normal spacetime and the 5th dimension, giving a mass prediction of  $M_{higgs} = \sigma m_o / \alpha = 12 * \text{GeV}$  , a mass prediction with 1.5% of the measured value of 126 GeV <sup>8</sup>. This leads also to the important relation of  $\lambda_{Higgs} = r_p$  , indicating the connection of the Higgs to the proton, the particle making up the known mass of the universe.

The classical radius of the proton,  $r_p$  , is the radius it would have if its mass was generated purely by its charge and determines its interaction time for EM photons much below its rest mass energy. It must be considered a renormalized quantity representing a sum over a range of subatomic length

scales. The effective radius of the proton for strong interactions in the nucleus is approximately the Compton radius of the pion or classical electron radius, but we will consider here that the radius  $r_p$  is an effective radius for EM scattering related to electro-dynamic gravity and thus only appears if “far field” radiation. Thus the radius appears only in calculation of much larger scale. It can be argued that the quarks are confined by an EM force that ensures only integer multiples of the electron charge appear, making the Strong force also electro-dynamic. Thus,  $r_p = e^2/m_p c^2$  is a relationship of mass and charge measured “at a distance” and usually only has physical relevance in far-field EM radiation calculations, but none-the-less is a physical parameter. Therefore, the  $\tilde{\lambda}_{Higgs} = r_p$  relationship is a seemly counter-intuitive, but is consistent with a Higgs field that is part of an electro-dynamic vacuum-space-time whose curvature generates an electro-dynamic force-gravity. We will see shortly that it occurs due to combination of compactification, where potentials follow an  $\exp(r_5/r_0)$  relationship and the electro-dynamic character of the vacuum which requires all effective lengths to be the result of renormalization so  $r_0 = k \ln(r_5/r_p)$ . The Zitterbewegung motion of the Higgs within its Compton radius thus is resonant with EM ZPF interacting resonantly with the proton.

This relation indicates that the Higgs Boson exists primarily to give mass to the proton in the cosmos, which is the only abundant, massive, stable particle known. This again is counterintuitive. The proton is considered to be made of quarks, one would think that the Higgs would only interact with them singly, but actually it cannot, the quarks have little mass singly, but are bound as a massive ensemble, the proton. Thus the relationship of the Higgs to the proton is consistent with the rest of the GEM theory, which treats the proton as a fundamental and indivisible particle-yet with a three-sub-dimensional structure that cannot be reduced. Thus the quarks appear in the GEM theory as sub-dimensions of the 5th dimension which cannot be seen in isolation.

The GEM theory, because it treats space-time and thus gravity as electro-dynamic must treat the proton as the fundamental particle because the mass of proton is collective, the quarks being essentially massless. The Higgs boson, which here is seen as a consequence of a hidden dimension of space-time, and the Higgs potential it represents, must be seen as essentially gravitational, interacting with mass regardless of its structure.

This means the length scale for an electrodynamic gravity model with the Higgs giving mass to the proton as a whole operates on a wavelength  $r_{GEM}$ :

$$r_{GEM} = \frac{\tilde{\lambda}_p}{\alpha} = \frac{r_p}{\alpha^2} \tag{65}$$

This wavelength is analogous the Bohr radius for an electron and reflects the fact that in the GEM theory gravity is the result of particles doing 2nd -order scattering in the EM ZPF field making up spacetime in order to sense its curvature. An analogous length is seen for the Higgs boson itself

$$r_{GEM-Higgs} = \frac{\tilde{\lambda}_{Higgs}}{\alpha} = \tilde{\lambda}_p \tag{66}$$

Where we have a renormalized quantity  $r^*$ , formed by summing over many scales in an electro-dynamic vacuum

$$\frac{r^*}{\tilde{\lambda}_{Higgs}} = \ln \left[ \frac{r_{GEM-Higgs}}{r_p} \right] = \alpha^{-1/2} \ln \sigma \tag{67}$$

Thus, we can write for the proton mass as a Higgs interaction via a Yukawa-like potential in the 5th dimension over a renormalized length.

$$m_p c^2 = \frac{e^2}{r_p} = \frac{\hbar c}{r_p} \exp(r^*/\tilde{\lambda}_{Higgs}) \tag{68}$$

Thus, the GEM theory, which formerly concerned itself with only the two long range forces of nature and the two stable charged massive particles making up hydrogen, can be extended to explain the Weak and Strong forces based on two postulates in a new conceptual structure of path integrals. We must begin with the GEM Assumption, that spacetime is fundamentally electromagnetic, and then the Kaluza-Klein Assumption of a hidden 5th dimension, we then proceed with Feynman-Hawking path-integral formulation with these two assumptions, this tried and true formulation says that everything that exists is the result of a summation of possible histories or pathways through spacetime from one instant to another. We then obtain the following results: 1. The electron and proton appear as resonances or favored paths off the Kaluza-Klein 5th dimension size of the Radion or mass inducing field created when EM and Gravity separate, and the proton is in structural resonance with the Higgs Boson, as would seem reasonable if the proton made up most of the mass of the universe. 2. Second order quantum Mie scatterings off the EM structures of the electron and proton and the 5th dimension itself create boson fields associated with Strong Weak and Mass inducing fields, with the Higgs Boson being the “most general” excitation of the hidden dimension size.

We have explained the stable and unstable-but favored particles in terms of resonances occurring as highly favored pathways in a Feynman-Hawking action path-integral formulation. This formulation cannot give physical results without the GEM Assumption that high frequency gravity waves are unstable to generate photon formation, which makes perturbation around fields and space-times determined by General Relativity and Maxwell’s equations possible. Without this assumption of an electro-dynamic spacetime, subatomic black-holes would fill spacetime, making calculation impossible and also grossly unphysical. This GEM assumption, which says that the fabric of spacetime is fundamentally electro-magnetic, is also consistent with the result that favored paths in spacetime occur across and around so called “hidden dimensions” or classical particle radii, of the stable charged particles, which are determined by equating “mass at-a-distance” for particles with their “charge

at-a-distance” depend thus on renormalized quantities. Thus, even though the path integral, in simplest form, appears to be lying only around a classical circumference of a particle, it is actually the average result of all possible paths in all spacetime around the charged particle. The pathways across the hidden 5th dimension, connecting a Planckian vacuum to a vacuum field around a proton or electron, then yields the mass of the stable particles. Thus, the protons and electrons making up the hydrogen which filled the very early universe, result form a favored path integral from a Planckian vacuum. The fact that such a favored path existed, was due to the appearance of a hidden 5th dimension.

The hidden 5th dimension itself appears to have been the end result of a collapse or shattering of a formerly infinite dimension. This is consistent with the 2nd Law of Thermodynamics since such a shattering will lead to an increase in entropy and decrease in action, in the form of the appearance of electric charge. The converse event: the spontaneous appearance of such a compactified 5th dimension from the vacuum actually would decrease entropy- it must represent a “shattering” of a formerly infinite dimension. Likewise the appearance of charge from the vacuum would increase local action- so it must be the remnant of a previous state of larger action. So a collapse scenario is more consistent with a continuity of physical law, that of increasing entropy and lessening action, between an old orderly vacuum universe and a newer, entropy and matter filled, present universe. Thus, the Big Bang may have been triggered, not by the appearance of the Higgs Boson- as in Kako’s conjecture, but by the collapse and shattering of an entire infinite dimension, to result in a new universe full of disorder and massive particles.

In the Kaluza-Klein 5th dimensional theory, upon which the GEM theory is based, a 5th force field, a scalar field called the R-field or “Radion” field<sup>9</sup>, must exist with massless quanta. This can be understood heuristically in the context of the SU(5) theory of Georgi and Glashow<sup>13</sup>, with SU(5) standing for a special unitary 5 dimensional group, where each dimension can be associated with a symmetry and a force field, with the R field and its quanta being associated with the 5th dimension. However, like all force fields, the R-field must have an interaction energy with particles that must change their mass via  $E=mc^2$ . Moreover, in the case of the Radion field it controls all the rest-mass, rather than a small increment. It is found in this perspective that the Strong and Weak Forces, which are short-range are mediated with first-order “branchings” or quantum Mie scatterings of the R-field and quantum EM field off the geometric structures associated with the electron and proton respectively. A charmed meson lowest mass state is associated with the size of the 5th dimension itself and a branching off of this meson to produce a “most general” excitation produces a quanta of the mass in the range predicted for the Higgs-Boson. Thus, the Higgs-Boson occurs in the extended GEM theory, and as in the Standard model is associated with the field that creates mass. The Higgs Boson exists and has its own mass as a consequence of

the existence of the hidden 5th dimension. It is the direct evidence of the existence of the 5th dimension whose existence underlies the whole visible mechanism of the Cosmos. Therefore, the Higgs Boson mass is seen as part of a system of particle masses that ensures that the Big Bang produced a hydrogen fireball, that is, consisting of protons and electrons. Its mass also ensures an unstable vacuum, as predicted by Witten, but rather than destroying the universe the vacuum decay produces only puff of hydrogen, and can be seen as the “afterglow” of the Big Bang explosion. The unavoidable EM radiation caused by this vacuum decay into a proton-electron pair is low temperature and being radiated by the vacuum itself accounts for the observed disappearance of the Sunyaev-Zeldovich effect at  $z \sim .5$ . based on this theory, then the dark-matter needed to balance universe can be predicted to be simple hydrogen, in an ionized state and thus difficult to observe.

With this understanding, that the visible Cosmos owes its existence to a hidden geometric structure in spacetime, a rudimentary schema exists for unifying all the forces. This is the schema of Wheeler, who felt everything could be understood as “geometry.” It appears that existence of the compactified 5th dimension is most likely a remnant of a formerly infinite spatial dimension which “shattered” in some primal catastrophe- the Big Bang and our present Cosmos being the result. The effects of this instability still exist and continue to create new hydrogen to maintain the critical density of the cosmos.

## Acknowledgments

The author wishes to thank Paul Murad of Morningstar LLC, for his encouragement of this research and in particular Morgan Boardman for his encouragement, support, and his “inter-dimensional nomad particle” concept.

## References

- [1] Brandenburg, J.E., “An Extension of the GEM Unification Theory to Include Strong and Weak Nuclear Forces and an Estimate of the Higgs Boson Mass STAIF II Conference Albuquerque NM March 2012 now published as :[http://www.mehtapress.com/images/stories/journal\\_of\\_space\\_exploration/vol\\_1\\_issue\\_1\\_file\\_3.pdf](http://www.mehtapress.com/images/stories/journal_of_space_exploration/vol_1_issue_1_file_3.pdf)
- [2] Brandenburg J. E.: Unification of Gravity and Electromagnetism in the Plasma Universe, IEEE Transactions on Plasma Science, Plasma Cosmology Issue Vol 20, 6, p944, 1992.
- [3] Brandenburg, J.E.: “A Model Cosmology Based on Gravity Electro-Magnetism Unification”, Astrophysics and Space Science, Vol 277, p133-144. (Also in “Plasma Astrophysics and Cosmology” (1995) A. L. Peratt Editor, Kluwer Academic Publishers), 1995.
- [4] Brandenburg, J.E.: The Value of the Gravitation Constant and its Relation to Cosmic Electrodynamics, IEEE Transactions on Plasma Science, Plasma Cosmology Issue Vol. 35, No. 4., p845, 2007.

- [5] Brandenburg J.E.: A Derivation of the Newton Gravitation Constant and the Proton Mass from the GEM Unification Theory of Baryo-Genesis." *Journal of Cosmology* Volume 17, 2011.
- [6] Klein, Oskar: "Quantum Theory and Five-Dimensional Relativity *Zeitschrift für Physik*, 37, 895, 1926.
- [7] Sakharov A.D.: "Vacuum quantum fluctuations in curved space and the theory of gravitation" *Sov. Phys. Doklady* 12,1040-1041, 1968.
- [8] *Michio Kaku*, <http://ksj.mit.edu/tracker/2013/03/michio-kaku-says-higgs-boson-caused-big>
- [9] Feynman, R. P., and Hibbs, A. R., *Quantum Mechanics and Path Integrals*, New York: McGraw-Hill, 1965 [ISBN 0-07-020650-3]"
- [10] Hawking S. "Quantum Gravity and Path Integrals" *Physical Review D*, Vol. 18, 6,1747, (1978).
- [11] Mazumdar A., Mopohatra R. N., Pe'rez-Lorensana, A.: "Radion Cosmology in Theories with Large Extra Dimensions" <http://arxiv.org/pdf/hep-ph/0310258v1.pdf>, 2003.
- [12] Hawking S. in foreward to "Starmus, 50 Years of Man in Space" by *Garik Israelian*, Carlton Books Ltd (October 23, 2014)
- [13] Witten E., *Nucl. Phys. B* 195, 481 (1982)
- [14] Sunyaev, R.A., and Zel'dovich Y.B. (1980) *ARA&A* , 18, page 537
- [15] R.M. Bielby, T. Shanks (2006) "Anomalous SZ Contribution to 3 Year WMAP Data" <http://arxiv.org/abs/astro-ph/0703470v1>
- [16] Greiner, B. Müller: *Gauge Theory of Weak Interactions*. Springer. ISBN 3-540-67672-4, 2004.
- [17] Georgi H. and Glashow, S.: "Unity of All Elementary-Particle Forces," *Physical Review Letters*, 32, 438, 1974.W.